Adaptive Flow Control

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Introduction

- Guarantees reliable delivery of data.
- Ensures data delivered in order.
- Enforces flow control between sender and receiver.
- The idea is the sender does not overrun the receiver's buffer

DLL Sliding Window

Sliding Window Revisited

- Sender Window
- Receiver Window
- The sender and receiver slides its window

Sender Window

■ *SeqNum* → Sender assigns sequence number to each frame which grows infinitely

SWS → Sender Window Size, The size of sender window. ie The number of unacked frames the sender can transmit.(outstanding frames)

 $\blacksquare LAR \rightarrow \text{Seqnum of the } Last Ack. Received$

 $\blacksquare LFS \rightarrow \text{Seqnum of the } Last Frame Sent$

Sender Window

Sender Maintains LFS – LAR \leq SWS

 $\blacksquare Ack \rightarrow LAR \text{ to right (sliding)}$

• A timer is associated with each frame

The sender buffers SWS no. of frames.

RWS → Receiver Window Size, The size of receiver window. ie The number of frames the receiver willing to accept.(out-of-order frames)
 LAF → Seqnum of the *Largest Acceptable Frame LFR* → Seqnum of the *Last Frame Received*

- Receiver Maintains $LAF LFR \leq RWS$
- SeqNum \leq LFR or SeqNum > LAF
 - frame is outside the receiver's window, discard it
- SeqNum within the window and arrived in out of order → buffer the received frame and send a NAK to the sender for the expected frame.
- SeqNum within the window and arrived in order → slide the window
- $LFR < SeqNum \leq LAF \rightarrow$ frame within the receiver's window and it is accepted.



TCP Sliding Window

Window Size

- The big difference is the size of the sliding window
 Size at the receiver is not fixed.
- The receiver *advertises* an adjustable window size (Advertised Window field in TCP header).
- Sender is limited to having no more than Advertised Window size of unACKed data at any time.

TCP Flow Control

- The discussion is similar to the previous sliding window mechanism except we add the complexity of sending and receiving *application processes* that are filling and emptying their local buffers.
- Also introduce complexity that buffers are of finite size, but not worried about where the buffers are stored.
 - MaxSendBuffer
 - MaxRcvBuffer

LastByteRead
NextByteExpected
LastByteReceived



Receiver throttles sender by advertising a window size no larger than the amount it can buffer.

On TCP receiver side:

LastByteRcvd - LastByteRead <= MaxRcvBuffer

to avoid buffer overflow!

TCP receiver advertises:

AdvertisedWindow = MaxRcvBuffer -

(LastByteRcvd - LastByteRead)

i.e., the amount of free space available in the receive buffer.



Sender Window

LastByteAcked
LastByteSent
LastByteWritten

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Sender Window

TCP sender must adhere to AdvertisedWindow from the receiver such that

LastByteSent – LastByteAcked

<= AdvertisedWindow

or use EffectiveWindow:

EffectiveWindow = AdvertisedWindow – (LastByteSent – LastByteAcked)

Sender Window

- Flow Control Rules
- 1. *EffectiveWindow* > 0 for sender to send more data
- 2. LastByteWritten LastByteAcked <=MaxSendBuffer
 - Send buffer is full!!
 - TCP sender must **block** sender application.

TCP Congestion Window

- CongestionWindow → a variable held by source for each connection.
- TCP is modified such that the maximum number of bytes of unacknowledged data allowed is the *minimum* of CongestionWindow and Advertised Window.
- Maximum Window (Max number of bytes unacknowledged data) → min (CongestionWindow , AdvertisedWindow)

TCP Congestion Window And finally, we have: *EffectiveWindow = MaxWindow - (LastByteSent - LastByteAcked)*The TCP source receives implicit and/or

The TCP source receives implicit and/or explicit indications of congestion by which to reduce the size of *CongestionWindow*.

Additive Increase

- Additive Increase is a reaction to perceived available capacity.
- Linear Increase → For each "cwnd's worth" of packets sent, increase cwnd by 1 packet.
- In practice, cwnd is incremented exponentially for each arriving ACK.





Silly Window Syndrome

- If a server with this problem is unable to process all incoming data, it requests that its clients reduce the amount of data they send at a time.
- MSS/2
- If the server continues to be unable to process all incoming data, the window becomes smaller and smaller, sometimes to the point that the data transmitted is smaller than the packet header, making data transmission extremely inefficient.
- The name of this problem is due to the window size shrinking to a "silly" value.





Nagle's algorithm

- Consider An application repeatedly emits data in small chunks, frequently only 1 byte in size. Since TCP packets have a 40 byte header (20 bytes for TCP, 20 bytes for IPv4),
- This results in a 41 byte packet for 1 byte of useful information, a huge overhead.
- This situation often occurs in Telnet sessions, where most key presses generate a single byte of data which is transmitted immediately.
- Worse, over slow links, many such packets can be in transit at the same time, potentially leading to congestion collapse.



Nagle's Algorithm

- If there is data to send but the window is open less than MSS, then wait some amount of time before sending the available data
- But how long to wait?
- If waiting for too long, then interactive applications like Telnet are being hurt
- If don't wait long enough, then the risk is sending a bunch of tiny packets and falling into the *silly window syndrome*
 - The solution is to introduce a timer and to transmit when the timer expires

Nagle's Algorithm

- Use a clock-based timer, for example one that fires every 100 ms
- Nagle introduced an elegant self-clocking solution
- Key Idea
 - As long as TCP has any data in send, the sender will eventually receive an ACK
 - This ACK can be treated like a timer firing, triggering the transmission of more data

Nagle's algorithm

if there is new data to send

if the window size >= MSS and available data is >= MSS segment now

Else

if

if there is unACKed data in flight

buffer the new data until an ACK arrives

else

send data immediately

end if

end if

end if

Adaptive Retransmission



Introduction

TCP achieves reliability by retransmitting segments after a Timeout

Choosing the value of the Timeout

- Set time out as a function as RTT
- If too small, retransmit unnecessarily
- If too large, poor throughput
- Make this adaptive, to respond to changing congestion delays in Internet

Keep a running average of RTT and compute TimeOut as a function of this RTT.

 \blacklozenge Send packet and keep timestamp t_s .

• When ACK arrives, record timestamp t_a .



Compute a weighted average:

 $Estimated RTT = \alpha \times Estimated RTT + (1 - \alpha) \times Sample RTT$

Original TCP spec: **a** in range (0.8,0.9)

TimeOut = 2 × *Estimated*RTT

Flaw in the original algorithm

- ACK does not really acknowledge a transmission
 - It actually acknowledges the receipt of data
- When a segment is retransmitted and then an ACK arrives at the sender
 - It is impossible to decide if this ACK should be associated with the first or the second transmission for calculating RTTs

Sender Receiver Sender Receiver Original transmission Original transmission SampleRTT Retransmission SampleRTT ACK Retransmission ACK (a) (b) Associating the ACK with (a) original transmission versus (b) retransmission

Karn/Partridge Algorithm

- 1. Do not measure *Sample*RTT when sending packet more than once.
- 2. For each retransmission, set *TimeOut* to *double* the last *TimeOut*.

{ Note – this is a form of exponential backoff based on the believe that the lost packet is due to congestion.}

Jacobson/Karels Algorithm

The problem with the original algorithm is that it did not take into account the variance of SampleRTT.

 $\begin{aligned} Difference &= SampleRTT - EstimatedRTT \\ EstimatedRTT &= EstimatedRTT + (\delta \times Difference) \\ Deviation &= \delta (|Difference| - Deviation) \end{aligned}$

where δ is a fraction between 0 and 1.

Jacobson/Karels Algorithm

TCP computes timeout using both the mean and variance of RTT

 $TimeOut = \mu \times Estimated RTT$ $+ \Phi \times Deviation$

where based on experience $\mu = 1$ and $\Phi = 4$.